Learning Pruning-Friendly Networks via Frank-Wolfe: One-Shot, Any-Sparsity, And No Retraining

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Agenda

- Backgrounds
- Contributions
- Motivation & Methodology
- Experimental Results

Backgrounds

- Pruning is a commonly used way of DNN compression,
 - e.g., for deploying your model across platforms with different hardware performances.
- Usually, modern DNN pruning techniques require retraining or fine-tuning to obtain the compressed network.
 - huge computational cost
 - sensitive to retraining parameters
- Question: whether we can design an efficient pruning method that does not need retrain the neural network.

Our Contributions

- We propose SFW(stochastic Frank-Wolfe)-pruning, a oneshot unstructured pruning algorithm, which can guarantee consistent and competitive model performance under varying pruning ratios without retraining.
- We customize a meta-learning-based initialization scheme for SFW-based DNN training, leading to more consistent and competitive performance under varying pruning ratios.



- Idea: cast the DNN training as an explicit pruning-aware process, which actively enhances important weights and pushes less important weights smaller.
- To this end, we add an auxiliary K-sparse polytope constraint in training the training objective:

$$\begin{split} \min_{\boldsymbol{\theta} \in \mathcal{C}} \frac{1}{n} \sum_{i=1}^{n} \ell(f(\boldsymbol{\theta}; \mathbf{x}_{i}), y_{i}) \\ \mathcal{C}(K, \tau) &= \operatorname{Span}_{[0,1]}(\{\boldsymbol{v} \in \mathbb{R}^{p} : \|\boldsymbol{v}\|_{0} = K, \ (\boldsymbol{v})_{i} \in \{0, \tau\}\}) \end{split}$$

solve the constrained OPT via Stochastic Frank-Wolfe (SFW).

- Why K-sparse polytope constraint? The optimization process of SFW for K-sparse polytope constraint is ideal for our goal!
- Update rule: $\boldsymbol{\theta}_{t+1} = \boldsymbol{\theta}_t + \alpha_t (\boldsymbol{v}_t \boldsymbol{\theta}_t) = \alpha_t \boldsymbol{v}_t + (1 \alpha_t) \boldsymbol{\theta}_t$. Here \boldsymbol{v}_t solves a linear minimization oracle, $\arg \min_{\boldsymbol{v} \in \mathcal{C}} \langle \widehat{\nabla}_{\boldsymbol{\theta}} L(\boldsymbol{\theta}_t), \boldsymbol{v} \rangle$, which has closed form solution:

 $(\boldsymbol{v})_i = \begin{cases} -\tau \cdot \operatorname{sign}((\boldsymbol{m})_i) & \text{if } (\boldsymbol{m})_i \text{ is in the largest } K \text{ coordinates of } \boldsymbol{m}, \\ 0 & \text{otherwise,} \end{cases}$

- Each step is equivalent to K "votes" on the weights to select important weights. Important weights are enhanced and less important weights are averaged with O.
- Resulting in more smaller weights (but not exactly zero), and less large ones. This yields competitive test accuracies across the spectrum of pruning ratios, even without retraining.



Weight Distribution

Weight Absolute Values

- Algorithm: SFW-Pruning,
 - One-shot SFW-training + Magnitude Unstructured Pruning
 - Achieving consistent and competitive model performance under varying pruning ratios without retraining.
- Algorithm: SFW-INIT,
 - > An initialization scheme tailored for SFW-training
 - Learning-based: learn the best initialization that allows the maximum loss reduction in the first SFW step.
 - Further boosting pruning test performance across different pruning ratios.

Experimental Results

Unstructured pruning NN with different sparsity ratios without retraining

- SFW-pruning significantly outperforms magnitude-based and random pruning by SGD, across different datasets and architectures.
- Over a wide range of sparsity ratios, SFW can keep pruning while maintaining a highly competitive performance.



Experimental Results

SFW-pruning with and without SFWInit

SFW + SFWInit consistently achieves higher accuracies compared with SFW across different datasets and architectures.



Experimental Results

Comparison to SOTA methods:

- One-shot no retraining methods
- pruning at initialization methods
- pruning-during-training methods
- iterative pruning methods
- group sparsity methods



Pruning Ratios	50%	70%	80%	90%	95%
SFW-Pruning (ours)	93.10	93.10	93.10	93.10	92.00
One-Cycle Pruning (Hubens et al., 2021)	-	-	90.87	90.72	90.67
Early Bird (You et al., 2019)	93.2	92.8	-	-	-
OTO (Chen et al., 2021)	90.35	90.35	90.35	90.35	90.35
DPF (Lin et al., 2020)	-	-	-	-	93.87
Group MDP (Deleu & Bengio, 2021)	-	-	-	89.38	-

